#### Math 155: Choosing a Hypothesis Test

Choose your column according to the study design. Then use the "highest" test possible in that column. Tests at the top of a column have the most conditions that must be satisfied so have high "power" (high ability to correctly reject a false null hypothesis). As you move down a column, the tests become more and more likely to commit a Type II error (are more likely to fail to reject a false null hypothesis).

#### **One Sample Tests**

n large or population

#### Matched Pairs Design (Test run on the paired differences)

#### Paired z-test

- σ<sub>d</sub> known
- n<sub>d</sub> large <u>or</u> population of differences normal

#### t-Test

z-Test

σ unknown

σ known

normal

 n large <u>or</u> population normal

## Wilcoxon Signed Rank <u>Test</u> (Minitab: 1 Sample Wilcoxon)

- σ not needed
- Evidence of a symmetric population (but not necessarily normal)

#### Sign Test

- σ not needed
- No requirement on shape of population

#### paired t-test

- σ<sub>d</sub> unknown
- n<sub>d</sub> large <u>or</u> population of differences normal

# Paired Wilcoxon Signed Rank Test (Minitab: Run 1 sample Wilcoxon on paired differences)

- σ not needed
- population of differences only needs to be symmetric

#### Paired Sign Test (Minitab:

Run 1 sample Sign on Paired differences

- σ not needed
- No requirement on shape of population of differences

#### Two Independent Samples

#### <u>Independent Samples z-</u> test

- $\sigma_1$  and  $\sigma_2$  known
- n<sub>1</sub> and n<sub>2</sub> large <u>or</u> both populations normal

#### **Independent Samples t-**

test (Minitab: 2-sample t)

- $\sigma_1$  and  $\sigma_2$  unknown
- n<sub>1</sub> and n<sub>2</sub> large <u>or</u> both populations normal

### Mann-Whitney (or Wilcoxon Rank Sum Test)

- $\sigma_1$  and  $\sigma_2$  not needed
- Populations should have similar shapes and variances (but need not be normal)