

1. On pages 8 & 9 the acceleration of a freely-falling object was caused by a _____ward gravitational force exerted on the falling object by the _____. If that force were "balanced" (cancelled) by a parachute then the object would fall with a constant velocity. Its acceleration would then be _____.
2. In #4 on RS III you wrote that the acceleration of an object always has the same direction as the _____ force acting on the object. The acceleration is *zero* (as in #3 on RS III) if the _____ force on the object is zero. The example above involving the _____ illustrates that fact.
- * 3. What kind of motion is produced by a steady, *unbalanced* (unopposed) force acting on an object? *Please answer with an opening statement.* Also describe two different experiments that we have already done which suggest that same conclusion. Illustrate by sketching velocity vs time graphs.
- * 4. What would happen if the unbalanced force suddenly stopped acting while the object was still moving? Please illustrate by sketching new speed-time graphs. *Try not to contradict #1.*
- * 5. A new experiment is needed because there is something that we don't yet know about the relation between acceleration and _____ force. (See #2.) Describe the purpose of this experiment *clearly*.
- * 6. Explain how you will measure the acceleration of an object influenced by a steady adjustable force.
- * 7. Invent a way to exert a steady, adjustable propelling force on a small wheeled vehicle. Describe and illustrate your method clearly enough so that anyone could duplicate your experiment easily.
- * 8. Describe and illustrate a method for measuring or calculating that propelling force in SI *while* the vehicle is accelerating. Also explain what you do to improve the precision of that measurement. For example, if you use a spring scale then describe how you select the best scale for the job.
- * 9. Does an object's acceleration at any given time depend on the forces acting on it at *that* time, or the forces acting at some *earlier* time? Please explain how #4 does or does not illustrate this answer.
- *10. Make the mass of your group's vehicle *very different* from the masses used by other groups. Measure that mass and record it on the blackboard and in your notebook, in SI units. Then *explain* how that mass was measured, and how its uncertainty was estimated. (Use #8 on RS III.)
11. Measure the accelerations produced by several different propelling forces *without* changing the mass of the vehicle. Also do whatever is necessary to determine the strengths of those propelling forces.
 - a. Repeat each measurement at least twice, recording *all* of your results.
 - b. Use the *widest possible range* of propelling forces, and express each force in *range* form.
 - c. Record the mass of your object *and the uncertainty of that mass* near that data table.
12. **BEFORE** you dismantle the apparatus, hand in the rough graph of raw data produced by your team while the experiment was in progress. *Every run that your team made should be recorded on that graph.* Also record the *mass* of the vehicle on that graph. Each member of your team must sign it to indicate that it is correct and that a complete copy of the data in #11 has been saved for future work.
13. Imagine letting the vehicle fall freely, starting from rest. (See #8 & 9 on RS III.)
 - a. Show how the propelling force on the falling vehicle is calculated or measured in SI units.
 - b. Its acceleration (in SI units) would be _____, as recorded in #____ on RS I.
14. Make a new row in your copy of the data table and fill it in with the results from #13. Make a *new* graph (using the data from #11 *and* 13) to show how the vehicle's acceleration depends on the propelling force. Decide which point on that graph represents the most reliable data, and draw two reasonable lines *through that point* to describe the pattern that you perceive. *Use a ruler.* Staple your new graph to this page. When you begin page 51 you will need this graph's slope and force-intercept in *range* form, in SI units. You will also need the *mass* of your vehicle. Write **ALL** of that information (with units) *on* the graph. *Keep a copy* for pages 49 & 51.
15. Read your report orally to a parent or other adult to see if it is written clearly.

1. When an object is coasting to a stop on a uniform, level surface its acceleration is ____ tive.
 - a. Sketch a speed-time graph to illustrate the coasting motion. (See #10 on RS II or #3 on p. 48.)
 - b. Does the object's acceleration change while it is coasting? ____
 - c. The coasting object's graph of friction force vs time is a _____ al line.
 - d. In #3 on page 48 you were asked about the motion of an object influenced by a steady force. The motion of a coasting object ____ (is, isn't) a good example, because....
2. A small amount of rolling friction may have acted to retard the motion of your cart on page 48.
 - a. List the variables which that force must depend upon. (Use #15-18 on RS III.)
 - b. Were any of those variables changed during your experiment? ____ (* If so, please explain.)
 - c. Does the friction depend upon the propelling force? ____ If so, please sketch the graph which describes that relation, and say what page that discovery comes from.
 - d. Was the friction force the same for each run? ____ If not, did it change very much? ____ (Explain.)
- * e. Was the friction force the same for each team? (Please explain *without* contradicting 2a.)
3. Can the graph of acceleration vs propelling force go through the origin if friction is significant? ____
- * 4. Did your graph on page 48 show any evidence of friction? *Explain and illustrate your evidence.*
5. The "**total force**" acting on an object is defined as the *vector sum of all the forces acting on it*.
 - a. Has this important definition been recorded on RS V? ____ -Is it also on RS III? ____
 - * b. Describe a graph of the cart's *acceleration* vs. the *total force* acting on the cart.
 - * c. Using 5b above with 7b on RS I, write a *general* conclusion describing how the acceleration of *any* object must depend on the forces acting on it. Write your statement so that it is *always* true.
 - * d. Explain how the *direction* of an object's acceleration can be predicted by using information about the forces which act on it. (Copy from page 31, 32, 33, 34R, 40, 48, or #4 on RS III.)
 - e. Copies of these conclusions (5b & 5c) are being saved in # ____ on RS V.
- * 6. Using SI units exclusively, give the mass of your vehicle and the slope of your "A vs. TF" graph. Keep a copy of that information for future reference. *Show* how that slope is calculated, and *show* how the ranges or uncertainties of the mass and slope were estimated. Don't forget the units.
7. Here's a routine proportion problem involving force and acceleration. "When a frictionless cart is pulled along a horizontal surface with a 2.0-pound force, it accelerates at 4.2 ft/sec². How much force is needed to make it accelerate at 8.0 ft/sec²?" *A solution is outlined below:*
 - a. According to 2b on RS V, that acceleration is proportional to the _____ acting on the _____.
 - b. Using 7e on RS I, we conclude that the acceleration ratio is equal to the _____ ratio.
 - c. Write that equation using *symbols*, not numbers: _____ = _____
 - d. Solve that equation for the unknown force: _____ = _____
 - e. Plug in the given data. (Notice that the acceleration units needn't be written because they cancel.)

$$\mathbf{TF}_2 = (\quad \quad) (\quad \div \quad) = \mathbf{3.81 \text{ lb.}}$$
8. Both accelerations given in #7 were measured by allowing the cart to accelerate along a 12.0-foot track, starting from rest. Let's use the given data to see how the time intervals must compare.
 - a. A relation between acceleration and time interval is in #6 on RS II. Solving it for "a", we find that the acceleration is *proportional to the ____ power of time interval if the _____ is unchanged.*
 - b. Using #17d on RS II, we conclude that the acceleration ratio (a_2/a_1) is equal to _____. (Insert a formula involving the first and second time intervals.)
 - c. Solve equation 8b for the longer time interval.
 - d. Show (by plugging in the given data) that the longer interval is about 1.38 times the shorter one.
9. If the accelerations in #7 each had two-percent uncertainties and the given force had a one-percent uncertainty, how much uncertainty must the time ratio in 8d have? _____ -How about the \mathbf{TF}_2 value in 7e? _____ Please use #25 on RS II and #13 on RS IV to *explain* your answers.

1. Think about the motion of a block sliding to a stop on a level surface:
 - a. A _____ ward force called “_____” causes its velocity to _____ crease while it slides.
 - b. Does the strength of that force decrease while the block is sliding? _____
-Does it increase? _____ Does it remain constant? _____ (See #15 on RS III.)
 - c. That force causes the brick to slow down with a _____ acceleration. (constant, changing)
 - d. Sketch the expected speed-time graph. Then check to see if page 23 agrees with your sketch.
 - e. The slope of the graph in 1d is _____ tive, indicating that the block’s forward velocity and its acceleration had _____ directions. (similar, opposite) Does 4b on RS III agree? _____
2. Now the same block slides with the same initial speed to a full stop on a different level surface with a friction coefficient only $\frac{2}{3}$ as great. Sketch the new speed-time graph near the old one.
 - a. Calculate the ratio of the new friction force to the old one. _____
 - b. What is the ratio of the new acceleration to the old one? _____
 - c. The graphs show that the new sliding distance is _____ than the old one. (See #2 on RS II.)
 - * d. Show how the ratio of the new sliding distance to the old one is calculated. Don’t contradict 2c.
3. The force needed to drag a brick at constant velocity across a level table top is 5.0 newtons. The same force accelerates the same brick at 2.0 m/sec^2 when it’s on a *frictionless* level surface.
 - a. Whenever the *total force* acting on it is 5.0 N this brick always _____ s at _____.
 - b. How strong was the friction force exerted by the *table top* on the brick? _____
 - c. Now suppose the original propelling force is doubled when the brick is on the *table*:
The new *total force* on the brick must be _____, so the new *acceleration* must be _____.
 - d. Does 3c contradict 3a? _____
 - * e. Explain what will happen in 3c if the propelling force is tripled instead of doubled. *Use 3b!*
4. A rocket weighs 150,000 lb on earth. It lifts off with an acceleration of 9.8 m/sec^2 .
 - a. Calculate the apparent weight of a 150-lb. person in the rocket during the launch. _____
 - b. If air drag can be ignored, then only *two forces* act on the rocket during liftoff:
The propelling force (called “thrust”) is _____ ward, and the _____ al force is downward.
 - c. Which of those forces must be the stronger one? _____
 - d. If it fell freely, the rocket would accelerate downward at _____ m/s^2 .
 - e. **WITHOUT** converting units, we can conclude (as in 3a) that this particular rocket always accelerates at _____ whenever the total force acting on it is _____.
 - * f. **WITHOUT** converting units, show how you calculate this rocket engine's thrust.
(It’s best to convert units *only when necessary*.)
 - * g. Explain why doubling the thrust found in 4f will *triple* this rocket’s acceleration.
(A sketched graph of acceleration vs. thrust will make the reason obvious.)
5. Hang some object like a shoe from a string. Release the string and watch the object fall.
 - a. Does gravity still act on the object while it is falling? _____
 - b. How much tension does the string have while the object is falling freely? _____
6. Let “m” represent the mass of the object hanging from the string in #5.
 - a. When it is *not* accelerating, the total force on the object is _____. Does #3 on RS III agree? _____
 - b. Use #3 on RS III or the 3rd pulley principle to create a formula for the string tension in 6a.
7. Suppose the string goes over a pulley and that the object has a downward acceleration:
 - a. Is the total force on the object still the same as in #6? _____
 - b. Has the gravitational force on the object changed? _____
 - c. The string tension has _____ creased. Does 5b agree? _____ Does #5 on RS III agree? _____
8. In the space at the right, sketch the graph of string tension vs acceleration described in 5, 6, and 7. *You’ll need this on page 51. Let downward vectors be considered positive.*
- * 9. **Extra Credit:** Create an equation describing the graph in #8 and explain how you know that it is correct. Remember to define your symbols. The equation must contain a symbol representing the slope of the graph. Be sure to get its sign and units right. Also explain what that slope depends on, and how its value can be predicted.